# Perturbativity constraints on $U(1)_{B-L}$ and Left-Right Models

Garv Chauhan Washington University in St. Louis

> PIKIO6 University of Notre Dame Oct 6, 2018

In collaboration with P.S.B Dev, R.N Mohapatra & Y. Zhang (arXiv: 1810.xxxx)



### Outline

- Introduction
- Theoretical Constraints
- Bounds in  $U(1)_{B-L}$  model
- Bounds in Minimal LRSM
- Conclusions

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- From experimental point of view, interesting to look at prospects of new physics at TeV scale.
- Many TeV scale extensions introduce extended gauge groups like extra U(1) or  $SU(2) \times U(1)$ .
- We'll look at pertubativity constraints in 2 extensions where extra gauge groups contribute to the electric charge namely  $U(1)_{B-L}$  and minimal LRSM.

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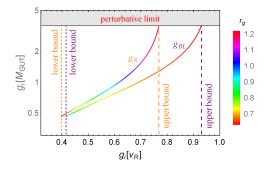
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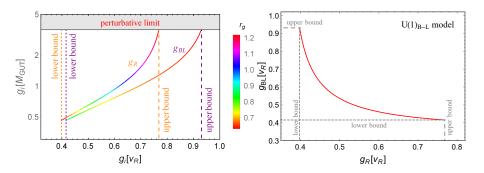
ullet Then requiring that coupling  $g_Z$  is perturbative at breaking scale,

$$\Rightarrow r_g \equiv \frac{g_X}{g_L} > \tan \theta_W \left( 1 - \frac{4\pi}{g_Z^2} \frac{\alpha_{EM}}{\cos^2 \theta_W} \right)^{-1/2}$$

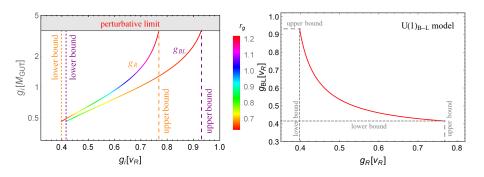
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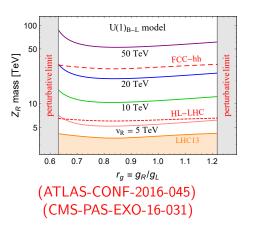


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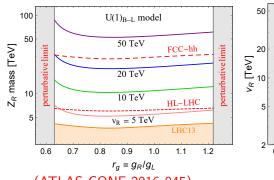


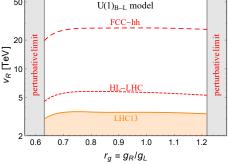
 $0.398 < g_R < 0.768; \quad 0.416 < g_{BL} < 0.931, \ \mbox{with} \ 0.631 < r_g < 1.218$  at  $v_R =$  5 TeV

### $SU(2)_L \times U(1)_{I3R} \times U(1)_{B-L}$ ( $Z_R$ searches)



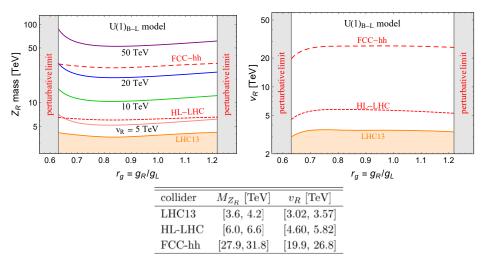
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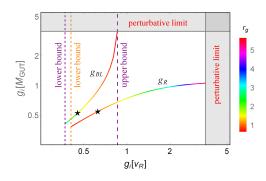


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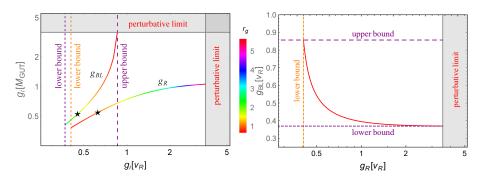
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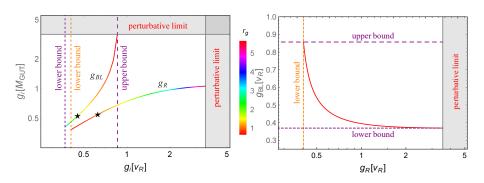
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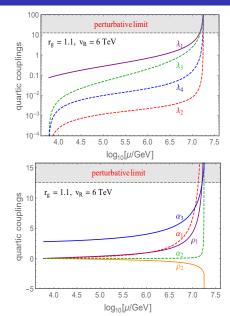


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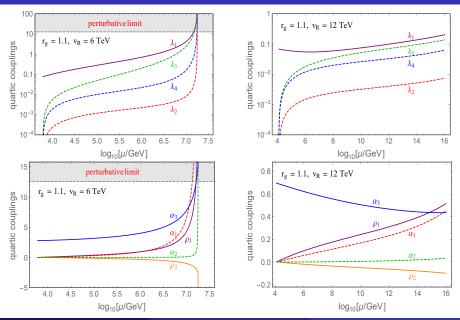


$$0.406 < g_R < \sqrt{4\pi}; \quad 0.369 < g_{BL} < 0.857, \ {\rm with} \ 0.648 < r_g < 5.65$$
 at  $v_R =$  10 TeV

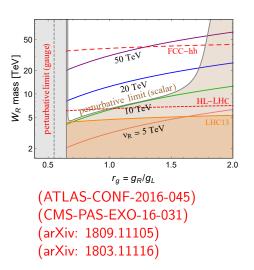
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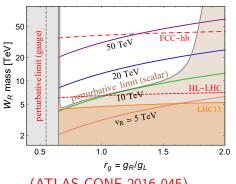
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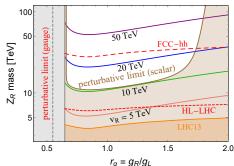


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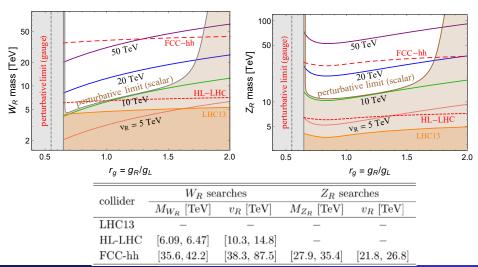
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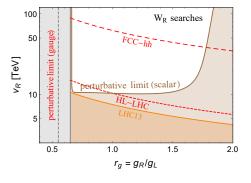


(ATLAS-CONF-2016-045) (CMS-PAS-EXO-16-031) (arXiv: 1809.11105) (arXiv: 1803.11116)

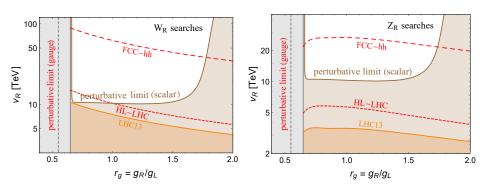
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- The results can be generalized to other gauge group extensions.

Thank you all!